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$B \rightarrow K^{(*)}\mu^+\mu^-$ Anomalies at Future Colliders

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The Branco Weiss Fellowship Society in Science

• Anomalies in charged ($B \rightarrow D^{(*)}\mu\nu$) and neutral ($B \rightarrow K^{(*)}\mu^+\mu^-$) current B decays



• Focus on neutral current B decays

• Anomalies in charged ($B \rightarrow D^{(*)} \mu \nu$) and neutral ($B \rightarrow K^{(*)} \mu^+ \mu^-$) current B decays



• Focus on neutral current B decays

- Anomalies in processes involving $b \rightarrow s \mu^+ \mu^-$ transitions:
- LHCb **3.4** σ in **P5' angular distribution** of $B \rightarrow K^* \mu^+ \mu^-$ (**2** σ for Belle)
- Various other kinematic observables in $b \rightarrow s \ \mu^+ \mu^-$
- **3.2** σ in $B_s \rightarrow \varphi \ \mu^+ \mu^-$
- \Rightarrow ~4 σ non-zero Wilson coefficient in global fit to these "messy" observables
- **2.5** σ in *"clean"* observable R_K
- **2.5** σ in *"clean"* observable R_K^*
- \Rightarrow ~4 σ non-zero Wilson coefficient in combined fit to just these two clean observables
- Consistency of all these various anomalies is non-trivial

 Points towards new physics parametrised by a fourfermion effective operator



Historical Aside

• Fermi theory of radioactive beta decay:

• Underlying new physics ⇒ **electroweak gauge bosons**



New physics behind B anomalies?

• Z' or leptoquarks (at tree-level)



Motivation for future colliders

• Can we *definitely* discover directly the source of the anomalies at higher energies?

80 TeV unitarity limit = **no general no-lose theorem** at FCC-hh (Di Luzio, Nardecchia [1706.01868])

• Consider sensitivity to most **pessimistic** scenario: only include **minimal couplings** required to explain $b \rightarrow s\mu^+\mu^-$ anomalies



• More realistic models will typically be *easier* to discover



• Extrapolate current 13 TeV di-muon search:





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Z'

 \overline{s}

Z' Sensitivity

• Extrapolate current 13 TeV di-muon search:



6

5

4

2

1

0

 $g_L^{\mu\mu}$



Fat width



b-anomaly plot vertically compatible . O the anomalycompatible 0.000 0.002 0.004 0.006 0.008 0.010 0.012 0.014 region g_L^{sb}



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• 100 TeV can cover almost **all** (narrow width) parameter space of most *pessimistic* scenario



• Extrapolate current 13 TeV di-muon search:



• 100 TeV can cover almost **all** (narrow width) parameter space of most *pessimistic* scenario

Z

 μ^{\dagger}

 \overline{s}

Allanach, Corbett, Dolan, TY [1810.02166]

• Improved MC study including **large widths** and **two benchmark flavour scenarios**:



9000

Leptoquark Sensitivity

• Extrapolate current 8 TeV LQ di-muon+di-jet search: group



- Pair production for scalar LQ depends only on QCD coupling
- Upper limit from Bs mixing constraint

 $\partial L \hat{Q}$

Leptoquark Sensitivity

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Leptoquark single production







Conclusion

- If confirmed by LHCb Run 2 update and Belle II...
- Accessible scale of new physics
- First studies of direct search potential at future colliders
- B anomalies could shed light on many BSM questions
- Even if anomalies vanish, motivates interplay between **direct** discovery potential of future hadron colliders and **indirect** sensitivity from precision physics



Allanach, Corbett, Dolan, TY [1810.02166]

• **Indirect effects** from effective operators in LHC di-muon tail would point towards **fat Z'** at higher energies



$$\begin{aligned} \mathcal{L}_{Z'f} &= \left(\overline{\mathbf{Q}'_{\mathbf{L}i}} \lambda_{ij}^{(Q)} \gamma^{\rho} \mathbf{Q}'_{\mathbf{L}j} + \overline{\mathbf{L}'_{\mathbf{L}i}} \lambda_{ij}^{(L)} \gamma^{\rho} \mathbf{L}'_{\mathbf{L}j} \right) Z'_{\rho}, \\ \mathbf{V} &= V_{u_L}^{\dagger} V_{d_L}, \qquad U = V_{\nu_L}^{\dagger} V_{e_L} \\ \mathcal{L} &= \left(\overline{\mathbf{u}_{\mathbf{L}}} V \Lambda^{(Q)} V^{\dagger} \gamma^{\rho} \mathbf{u}_{\mathbf{L}} + \overline{\mathbf{d}_{\mathbf{L}}} \Lambda^{(Q)} \gamma^{\rho} \mathbf{d}_{\mathbf{L}} + \overline{\mathbf{n}_{\mathbf{L}}} U \Lambda^{(L)} U^{\dagger} \gamma^{\rho} \mathbf{n}_{\mathbf{L}} + \overline{\mathbf{e}_{\mathbf{L}}} \Lambda^{(L)} \gamma^{\rho} \mathbf{e}_{\mathbf{L}} \right) Z'_{\rho}, \\ \Lambda^{(Q)} &\equiv V_{d_L}^{\dagger} \lambda^{(Q)} V_{d_L}, \qquad \Lambda^{(L)} \equiv V_{e_L}^{\dagger} \lambda^{(L)} V_{e_L} \end{aligned}$$

The 'mixed up-muon' (MUM) model

$$\Lambda^{(Q)} = g_{bs} \begin{pmatrix} 0 & 0 & 0 \\ 0 & 0 & 1 \\ 0 & 1 & 0 \end{pmatrix}, \qquad \Lambda^{(L)} = g_{\mu\mu} \begin{pmatrix} 0 & 0 & 0 \\ 0 & 1 & 0 \\ 0 & 0 & 0 \end{pmatrix}$$

The 'mixed down-muon' (MDM) model

$$\Lambda^{(Q)} = g_{tt} V^{\dagger} \cdot \begin{pmatrix} 0 & 0 & 0 \\ 0 & 0 & 0 \\ 0 & 0 & 1 \end{pmatrix} \cdot V, \qquad \Lambda^{(L)} = g_{\mu\mu} \begin{pmatrix} 0 & 0 & 0 \\ 0 & 1 & 0 \\ 0 & 0 & 0 \end{pmatrix}$$



Figure 6. Expected di-muon invariant mass distributions at the FCC for (left) $M_{Z'}=13$ TeV, $g_{\mu\mu} = 2.1$ and (right) $M_{Z'}=17$ TeV, $g_{\mu\mu} = 2.7$, corresponding to widths of 12% and 19% respectively. The expected number of events per bin on the ordinate is for 10 ab⁻¹ of integrated luminosity. This figure shows the difference between using the MadGraph5 default propagator and the new propagator $\sim 1/(p^2 - M^2 - ip^2\Gamma/M)$. The significance for $M_{Z'} = 13$ TeV is 8.5 (9.7 for the default propagator) summing from bin 4 (5). The significance for $M_{Z'} = 17$ TeV is 4.6 (5.6) summing from bin 9 (10). All histograms and significance calculations are post-detector simulation (i.e. DELPHES 3).



Figure 7. The bleeding of a single parton level bin centred on $m_{\mu\mu} = 13$ TeV for the Z' signal at the FCC. At parton-level, we expect 33.1 events (in 10 ab⁻¹), after parton showering effects are simulated by PYTHIA this reduces to 31.3 and after simulating detector effects with DELPHES 3, 29.2.

We define signal sensitivity as follows: first, we define a window of di-muon invariant mass in which to generate events, depending upon the collider:

$$\begin{split} m_{\mu\mu}^{\text{HL-LHC}} &\in [\max\{M_{Z'} - \Gamma - 500 \text{ GeV}, \ 100 \text{ GeV}\}, \ \min\{M_{Z'} + \Gamma, \ 5.9 \text{ TeV}\}]\\ m_{\mu\mu}^{\text{HE-LHC}} &\in [\max\{M_{Z'} - \Gamma - 2 \text{ TeV}, \ 250 \text{ GeV}\}, \ \min\{M_{Z'} + \Gamma, \ 11.25 \text{ TeV}\}]\\ m_{\mu\mu}^{\text{FCC}} &\in [\max\{M_{Z'} - \Gamma - 2 \text{ TeV}, \ 250 \text{ GeV}\}, \ \min\{M_{Z'} + \Gamma, \ 25.25 \text{ TeV}\}] \end{split}$$

We define $S_i \equiv (\sigma_i^{Z'+SM} - \sigma_i^{SM})\mathcal{L}$, where \mathcal{L} is assumed integrated luminosity and $i \in \{1, \ldots, N\}$, as the expected number of signal events in a single bin of width W in $m_{\mu\mu}$ estimated in our simulations⁸. W = 500 GeV is taken for all simulations apart from the HL-LHC ones, where W = 100 GeV is taken. $\sigma_i^{Z'+SM}$ is the $pp \to \mu^+\mu^-$ cross-section including the Z' lying in the $m_{\mu\mu}$ bin i and σ_i^{SM} is the SM $\mu^+\mu^-$ cross-section in the same bin⁹. Each of these cross-sections is to be understood as being for $pp \to \mu^+\mu^-$ after acceptance, efficiency and detector effects. The total significance, measured in terms of 'number of σ ', is defined to be

$$S = \max_i D_i, \quad \text{where} \quad D_i \equiv \frac{\sum_{j=i}^N S_j}{\sqrt{\sum_{k=i}^N B_k}},$$
 (3.3)

Extrapolation Method

- 95% CL limit depends on number of background events
- For current limit at given mass, find equivalent mass at future collider with same number of background = same limit at equivalent mass



Extrapolation method

$$\sigma_B(M,s) \propto \sum_{i,j} \int_{M^2 - \Delta \hat{s}}^{M^2 + \Delta \hat{s}} d\hat{s} \frac{dL_{ij}}{d\hat{s}} \hat{\sigma}_{ij}(\hat{s}), \qquad C_{ij} = \hat{s} \hat{\sigma}_{ij} \text{ is approximately constant.}$$

$$\propto \frac{\Delta \hat{s}}{M^2} \sum_{i,j} C_{ij} \frac{dL_{ij}}{d\hat{s}} (M,s)$$

$$L_0 \cdot \sum_{i,j} C_{ij} \frac{dL_{ij}}{d\hat{s}} (M_0, s_0) = L' \cdot \sum_{i,j} C_{ij} \frac{dL_{ij}}{d\hat{s}} (M', s')$$



• Extrapolate current 13 TeV di-muon search:



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• Improved MC study including **large widths**:



Take-Home Message: Z' sensitivity

- Drell-Yan, $p p \rightarrow Z' \rightarrow \mu^+ \mu^-$ for two flavour assumptions:
 - Mixed-Up Model:
 - **HL-LHC**: No sensitivity
 - **HE-LHC**: M_{Z} , up to 13 TeV, width up to 30%
 - **FCC-hh**: M_Z , up to 22 TeV, width up to 30%
 - Mixed-Down Model:
 - HL-LHC: M_Z , up to 5 TeV, width up to 10%
 - HE-LHC: $M_{Z'}$ up to 10 TeV, width up to 60%
 - FCC-hh: *M_Z*, up to 20 TeV (*entire parameter space*)

Take-Home Message: LQ sensitivity

• Pair production, $p p \rightarrow LQ LQ \rightarrow \mu^+ \mu^- j j$



• Single production, $p p \rightarrow LQ \rightarrow \mu^+ \mu^- j$

